

2017 $\alpha \sim f(\text{TM}\#q 0; C J \emptyset \} + O = B \tilde{O} \backslash 0; \zeta$

0 $\tilde{A} \backslash 1\tilde{N}^*6 -L' \tilde{A} !S m9! \rightarrow 313 \hat{O} \hat{A} \tilde{O} \backslash !9N^a \zeta \hat{O}; G \in \acute{E} \ddot{O}$

1 $\tilde{A} \hat{O} = B Ci \quad s \times \tilde{A}B'8 7M\&J\acute{a} \hat{A}$

$\tilde{A} \acute{E} \ddot{O}L W - \quad \alpha f \emptyset 9\epsilon \} B kB+.D0!+O \tilde{A} [... +O \frac{1}{4} - \$ \tilde{S}$

$+O \hat{A} + cB' > \sim \acute{E} \times \tilde{A} \tilde{o}N \ll 9 p X - Q \% \tilde{N}G L F p XL'3+ \ae 1 \tilde{A}$

$1 \quad x \acute{E} = \& \quad x \hat{A}$

$\tilde{A} T \} \ddot{Y} \% , : C \ae, ' \emptyset 9\epsilon \quad \times$

$\tilde{A} \backslash 0 ! " ? @ 5 \dots - \tilde{A} M 0 9 p X - Q \% \tilde{N} 4 - 1 \acute{E} 1 \quad x \acute{E}$

$= \quad x \hat{A} \times$

$\tilde{A} 9!B \bullet 4x"d \pounds 63B A\tilde{n} - \tilde{I} \& \frac{1}{4} = \quad \& \tilde{A} \bullet 4x ZFJE \div, ' + cB' 65 \acute{E} Z$

$E\hat{i} \backslash L' + cB' ' \& \acute{E} = \S 7 \grave{o} \mathcal{D} = B Ct | \hat{A} \times$

$\tilde{A}.D0!+O \dots , \ll A\grave{a} > \sim 0 ? 0 - \tilde{A} + X "d8\beta 1D \succ \acute{E} 63+O Z \hat{e} \ddot{Y} \frac{1}{4}$

$63+O \tilde{O}63 \ddot{Y} \hat{A} \tilde{A} \tilde{A} ! " \acute{y}M' f \succ \succ \acute{E} \hat{A}$

$\tilde{A} 9 - _ 0 .D @ \grave{i} \frac{1}{4} 9\zeta \dagger A\tilde{n} -, ' \tilde{I} \& \frac{1}{4} = \quad \& \quad \acute{z} \grave{i} \tilde{N} 9 \acute{E} \quad ! " \textcircled{C} \}$

$\frac{1}{4} \tilde{A} \tilde{A} B' + X "d1D \succ \acute{E} \hat{A} \succ \acute{E} \backslash \hat{e} FJA \beta \backslash p \tilde{A} + X \frac{3}{4} \hat{o} o \tilde{N} > \sim \frac{1}{4} \dots FJ.$

$- \hat{A} \tilde{A} \# ? \ddot{O} \dots FJ. - 0 \hat{E} \acute{E} \backslash \hat{e} 7 - O f \backslash, ' \backslash p \acute{E} ? \pm 63 < \bullet$

$\backslash " J1y 3P \tilde{A}$

$9 \tilde{A} \quad L5 = B \quad \acute{1} \hat{A} > \sim \tilde{A}$

$\ddot{O}L W - 1\tilde{N}^*6 - L' C J \dots] \acute{o}$